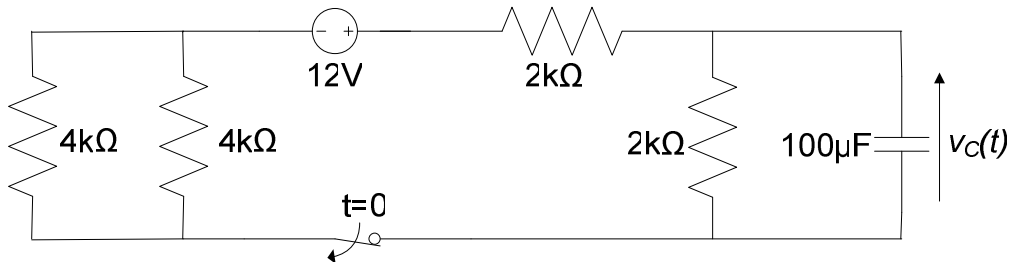


## Problem Set 10 (Fall 2008)

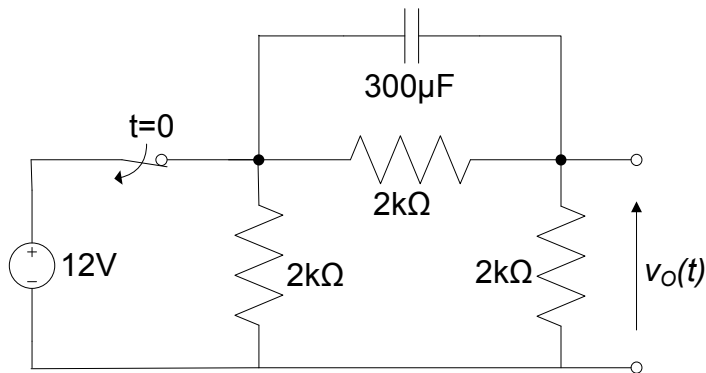
Use our step-by-step approach (Irwin pp. 202-204) (do not use diff'l eq'ns) for all of the following:

### RC Circuits:

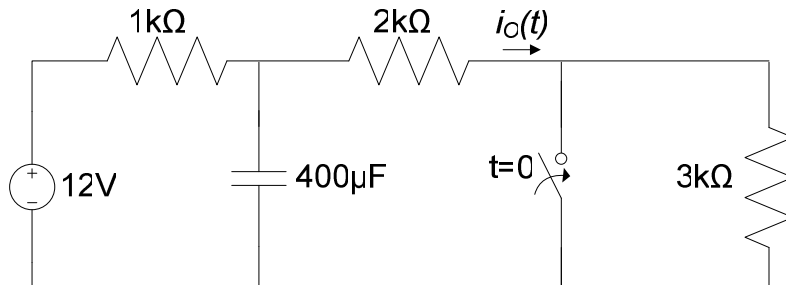
**10.1** Find  $v_C(t)$  for  $t > 0$  in the circuit below and plot the response including the time interval just prior to opening the switch.



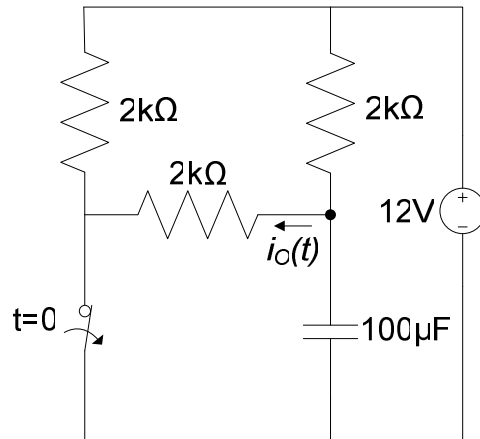
**10.2** Find  $v_o(t)$  for  $t > 0$  in the circuit below and plot the response including the time interval just prior to opening the switch.



**10.3** Use the step-by-step technique to find  $i_o(t)$  for  $t > 0$  in the circuit below.



**10.4** Use the step-by-step method to find  $i_o(t)$  for  $t > 0$  in the circuit below.

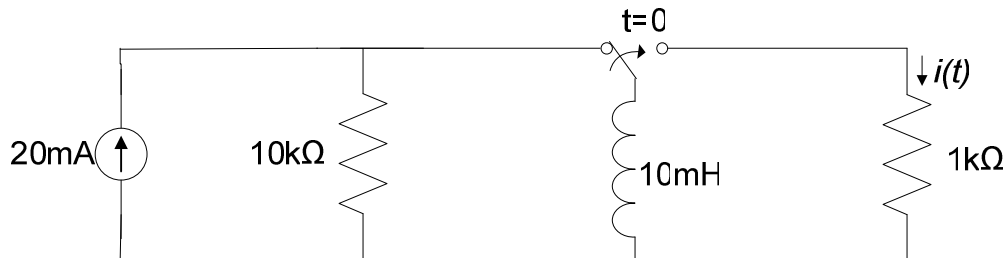


**10.5** Continue 10.2 and find  $v_o(t)$  for  $t > 0.5\text{sec}$  if at  $t=0.5\text{sec}$ . S is closed. (S = the switch)

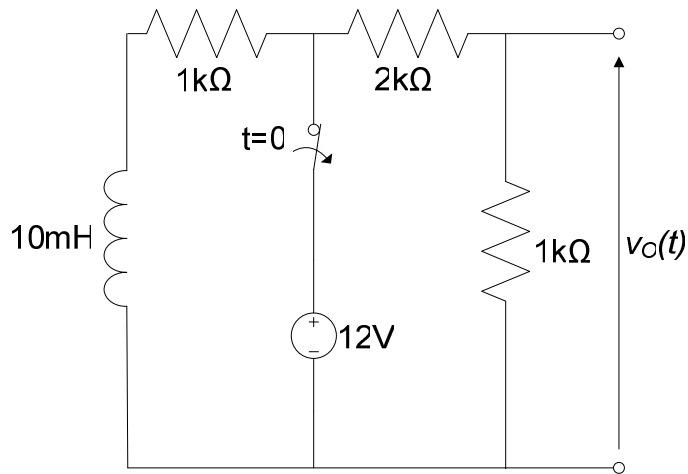
**10.6** Continue 10.3 and find  $i_o(t)$  for  $t > 0.5\text{sec}$  if at  $t=0.5\text{sec}$ . S is opened.

#### RL Circuits:

**10.7** Find  $i(t)$  for  $t > 0$  in the circuit below and plot the response including the time interval just prior to switch movement.



**10.8** Use the step-by-step method to find  $v_o(t)$  for  $t > 0$  in the circuit below.



**TAs:** The step-by-step approach uses the standard forms:

$$v(t) = V_F + (V_I - V_F)e^{-t/\tau}$$

$$\text{and } i(t) = I_F + (I_I - I_F)e^{-t/\tau}$$

where the subscripts I and F refer to the Initial and Final values, respectively.

$$v_C(t = 0^+) = v_C(t = 0^-) \text{ and } i_L(t = 0^+) = i_L(t = 0^-).$$

In steady state  $i_C=0$  and  $v_L=0$ . ( $\Delta\omega$ =bandwidth)

$$\tau = CR \text{ and } \tau = \frac{L}{R}$$

In addition, if a transient is not at  $t=0$  but at some other time, say  $t_1$ , then offset the result by using  $t = t - t_1$ , i. e. use  $e^{-(t-t_1)/\tau}$ .